

# Message-recovery Horizontal Correlation Attack on *Classic McEliece*

PQ-TLS project, axis 2 meeting

Brice Colombier, Vincent Grosso, Pierre-Louis Cayrel, Vlad-Florin Drăgoi

July 10, 2025



**Feb. 2016** NIST PQC competition announcement at PQCrypto

**Jul. 2022** CRYSTALS-KYBER selected for standardization

4th round candidates:

- BIKE
- *Classic McEliece*
- HQC
- SIKE

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**Dec. 2024** CASCADE'25 winter submission deadline

**Mar. 2025** HQC selected for standardization

**Apr. 2025** CASCADE'25

# *Classic McEliece*

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Classic McEliece<sup>[1]</sup> is a **Key Encapsulation Mechanism**

- $\text{KeyGen}() \rightarrow (\mathbf{H}_{\text{pub}}, k_{\text{priv}})$
- $\text{Encaps}(\mathbf{H}_{\text{pub}}) \rightarrow (\mathbf{s}, k_{\text{session}})$
- $\text{Decaps}(\mathbf{s}, k_{\text{priv}}) \rightarrow (k_{\text{session}})$

The Encaps algorithm (Niederreiter encryption<sup>[2]</sup>) encapsulates a secret value to be shared.

- $\text{Encaps}(\mathbf{H}_{\text{pub}}) \rightarrow (\mathbf{s}, k_{\text{session}})$

Generate a random vector  $\mathbf{e} \in \mathbb{F}_2^n$  of Hamming weight  $t$  (( $n; t$ ): security parameters)

Compute  $\mathbf{s} = \mathbf{H}_{\text{pub}} \mathbf{e}$

Compute the hash:  $k_{\text{session}} = H(1, \mathbf{e}, \mathbf{s})$

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[1] Martin R. Albrecht et al. **Classic McEliece: Conservative Code-Based Cryptography**. 2022.

[2] Harald Niederreiter. “Knapsack-Type Cryptosystems and Algebraic Coding Theory”. In: **Problems of Control and Information Theory** (1986).

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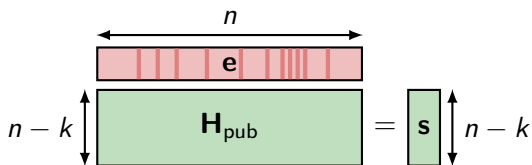
# Syndrome decoding problem

## Syndrome decoding problem

**Input:** a binary parity-check matrix  $\mathbf{H} \in \mathbb{F}_2^{(n-k) \times n}$   
a binary vector  $\mathbf{s} \in \mathbb{F}_2^{n-k}$   
a scalar  $t \in \mathbb{N}^*$

**Output:** a binary vector  $\mathbf{x} \in \mathbb{F}_2^n$  with a Hamming weight  $\text{HW}(\mathbf{x}) \leq t$  such that:  $\mathbf{H}\mathbf{x} = \mathbf{s}$

## Classic McEliece parameters



| $n$  | $k$  | $(n - k)$ | $t$ | $H_{\text{pub}}$ size |
|------|------|-----------|-----|-----------------------|
| 3488 | 2720 | 768       | 64  | 261 kB                |
| 4608 | 3360 | 1248      | 96  | 524 kB                |
| 6688 | 5024 | 1664      | 128 | 1.04 MB               |
| 6960 | 5413 | 1547      | 119 | 1.04 MB               |
| 8192 | 6528 | 1664      | 128 | 1.35 MB               |

The public key  $H_{\text{pub}}$  is **very large**.



Embedded software / hardware implementations are now feasible<sup>[3][4][5][6][7]</sup>.

## New threats

That makes them vulnerable to **physical attacks** (fault injection & side-channel analysis)

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[3] Johannes Roth et al. “Classic McEliece Implementation with Low Memory Footprint”. In: **CARDIS**. Nov. 2020.

[4] Ming-Shing Chen et al. “Classic McEliece on the ARM Cortex-M4”. In: **TCHES** (2021).

[5] Po-Jen Chen et al. “Complete and Improved FPGA Implementation of Classic McEliece”. In: **TCHES** (2022).

[6] Cyrius Nugier et al. “Acceleration of a Classic McEliece Postquantum Cryptosystem With Cache Processing”. In: **IEEE Micro** (2024).

[7] Peizhou Gan et al. **Classic McEliece Hardware Implementation with Enhanced Side-Channel and Fault Resistance**. 2024. URL: <https://eprint.iacr.org/2024/1828>. Pre-published.

# Message-recovery attacks on *Classic McEliece*

For a KEM, a **message-recovery** attack recovers the **shared secret**:

| Ref.     | Principle                                    |  |
|----------|----------------------------------------------|-------------------------------------------------------------------------------------|
| [8]      | recovers chunks of <b>e</b> from timing info | multiple decryption queries                                                         |
| [9]      | examines different types of leakage          | simulation only                                                                     |
| [10]     | instruction corruption XOR $\rightarrow$ ADD | laser fault injection \$\$\$                                                        |
| [11][12] | templates on Hamming weight                  | profiled                                                                            |

Horizontal correlation with Hamming distance leakage: **non-profiled** and **single-trace**.

[8] Norman Lahr et al. “Side Channel Information Set Decoding Using Iterative Chunking - Plaintext Recovery from the “Classic McEliece” Hardware Reference Implementation”. In: **ASIACRYPT**. Dec. 2020.

[9] Anna-Lena Horlemann et al. “Information-Set Decoding with Hints”. In: **CBCrypto**. June 2021.

[10] Pierre-Louis Cayrel et al. “Message-Recovery Laser Fault Injection Attack on the Classic McEliece Cryptosystem”. In: **EUROCRYPT**. Oct. 2021.

[11] Brice Colombarier et al. “Profiled Side-Channel Attack on Cryptosystems Based on the Binary Syndrome Decoding Problem”. In: **IEEE TIFS** (2022).

[12] Vincent Grosso et al. “Punctured Syndrome Decoding Problem - Efficient Side-Channel Attacks Against Classic McEliece”. In: **COSADE**. Apr. 2023.

# Syndrome computation

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# Matrix-vector multiplication

The  $\mathbf{s} = \mathbf{H}_{\text{pub}} \mathbf{e}$  multiplication is performed over  $\mathbb{F}_2$ .

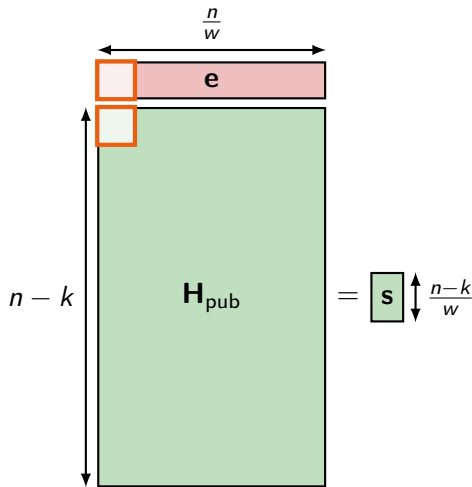
Bitwise operations are **bitsliced** and bits are **packed** into words of size  $w$ .

| Implementation                    | $w$ |
|-----------------------------------|-----|
| Reference <i>Classic McEliece</i> | 8   |
| ARM Cortex-M4 <sup>[13]</sup>     | 32  |
| Optimized <i>Classic McEliece</i> | 64  |

# Matrix-vector multiplication for $w = 8$

Example implementation for  $w = 8$ :

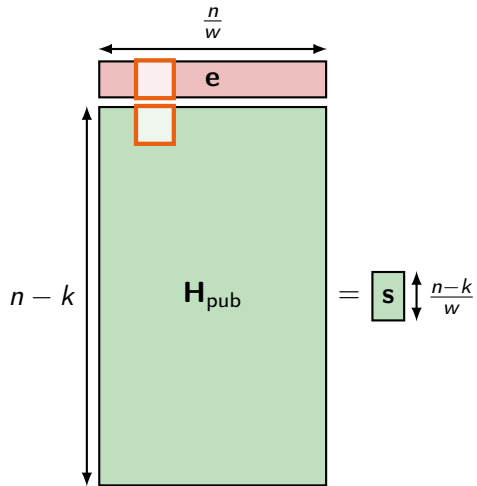
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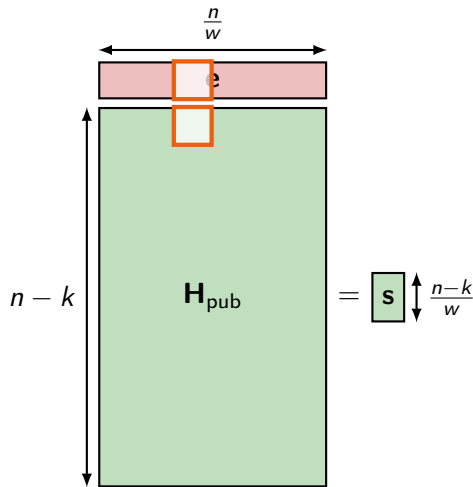
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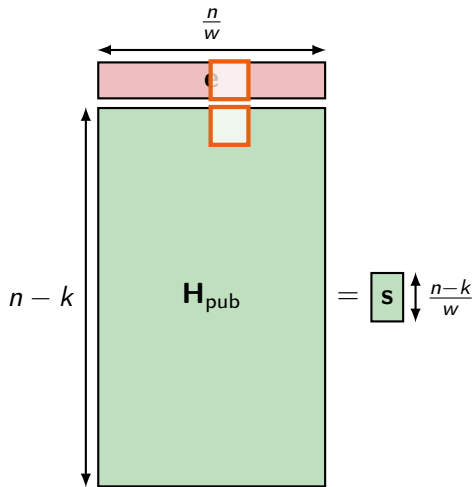
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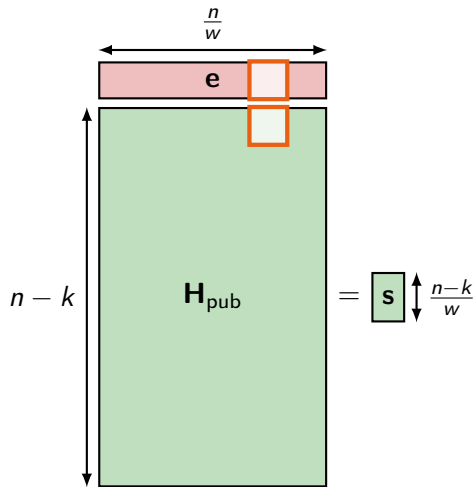




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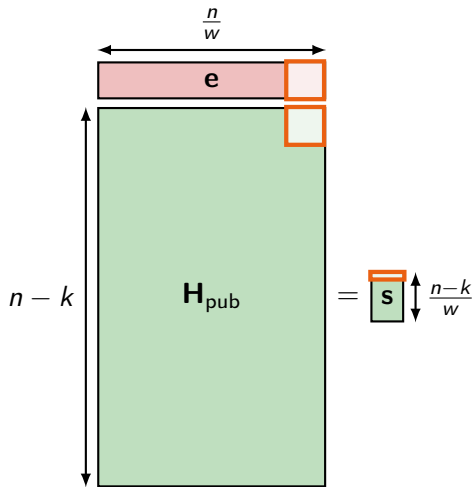
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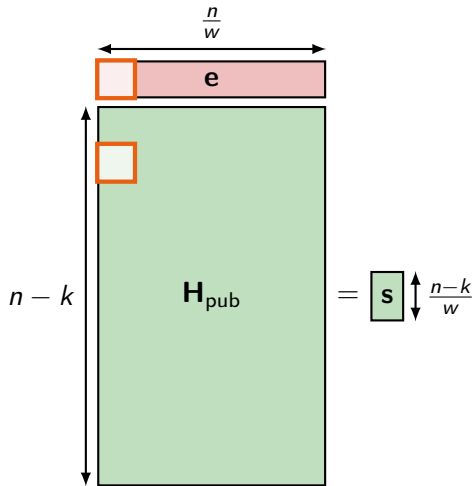
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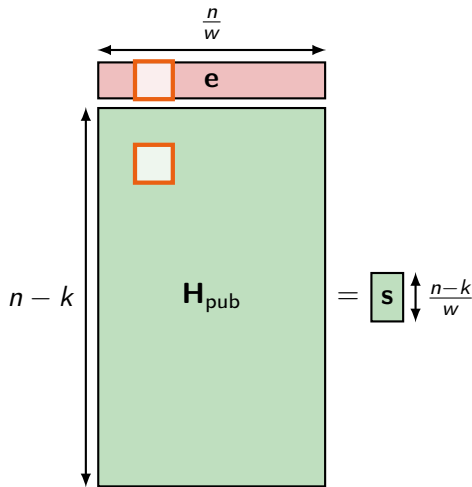
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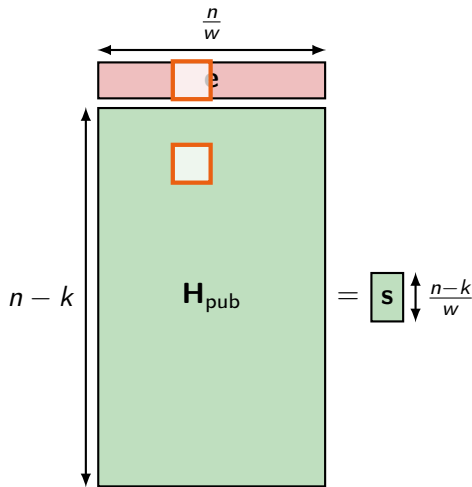
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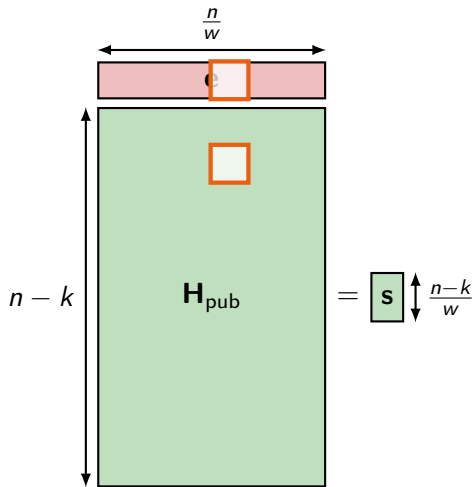
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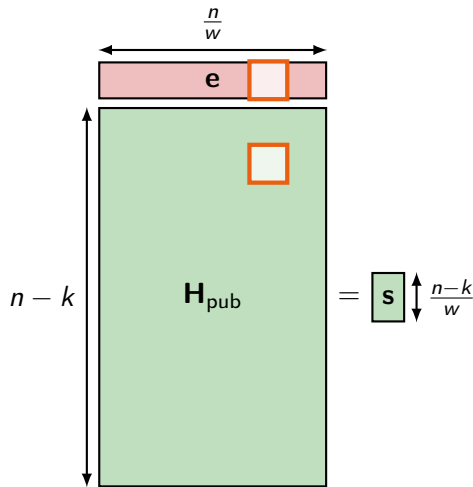
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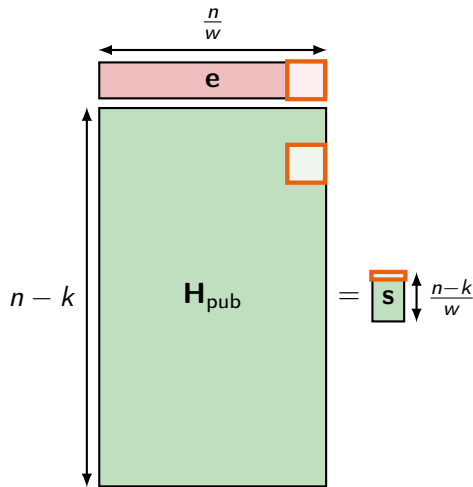
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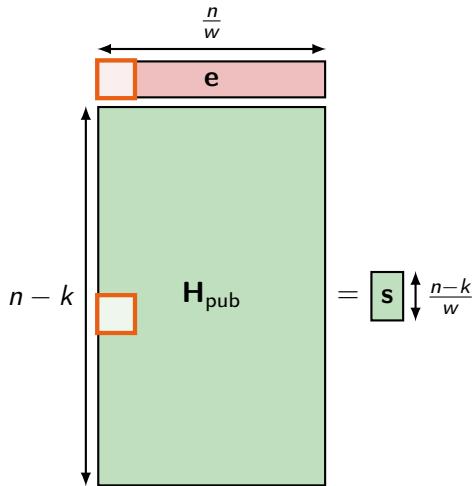




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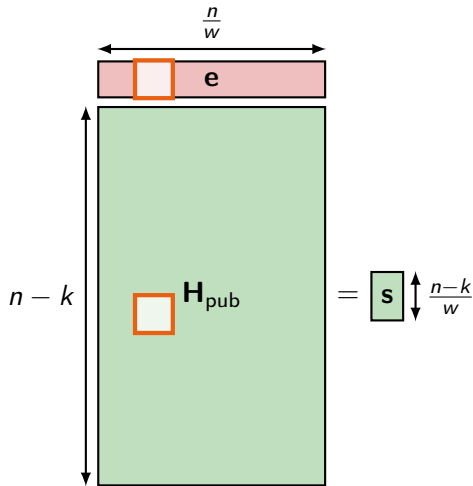
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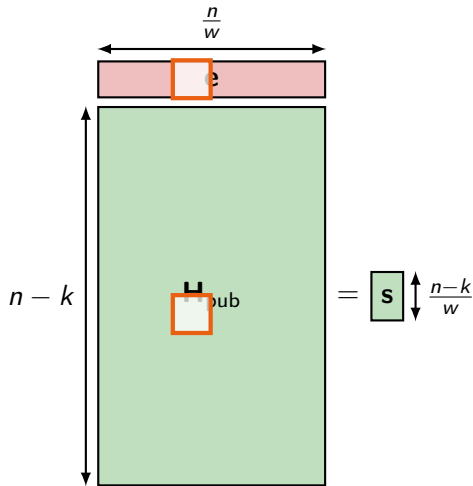
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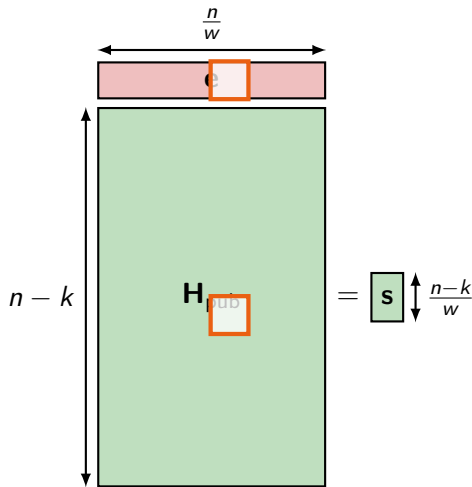
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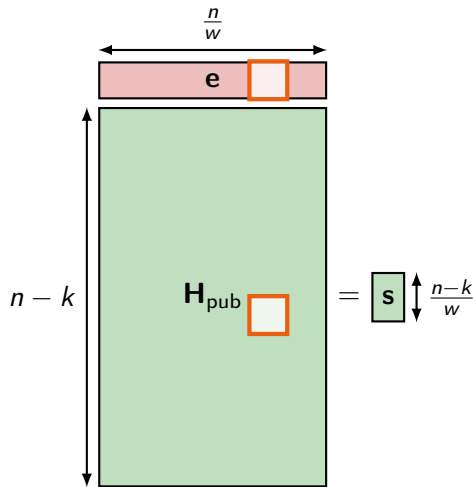
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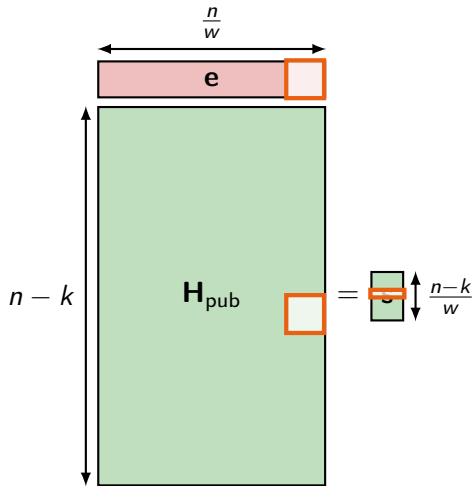
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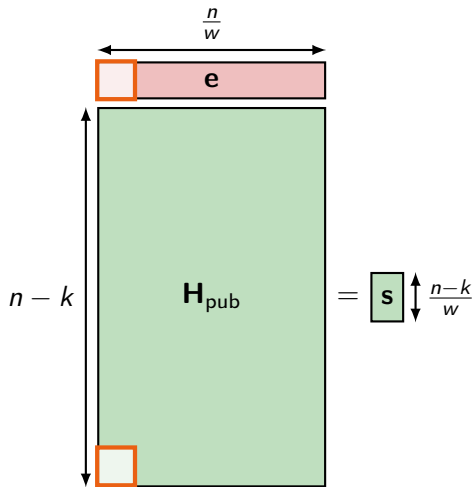
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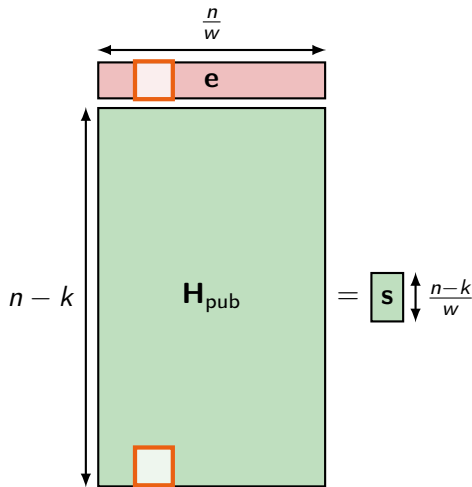
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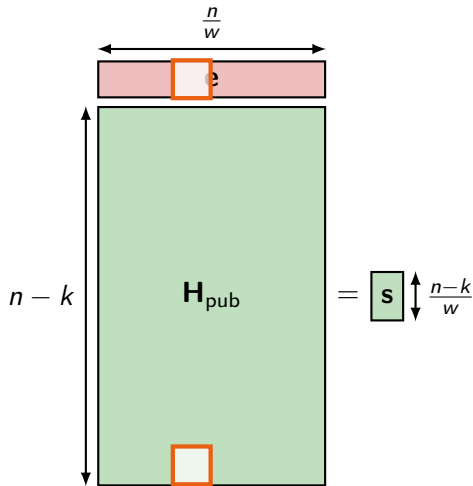




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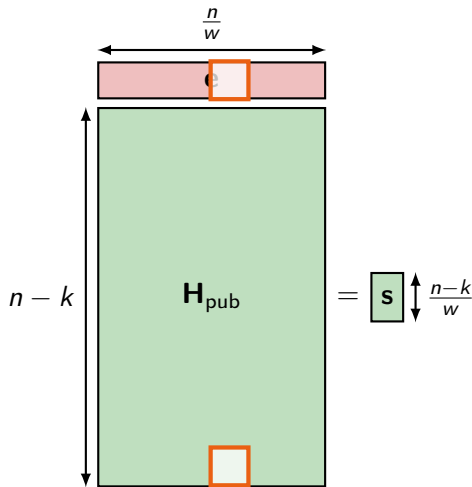
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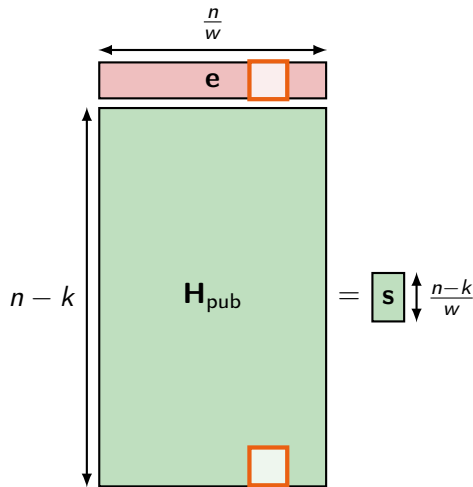
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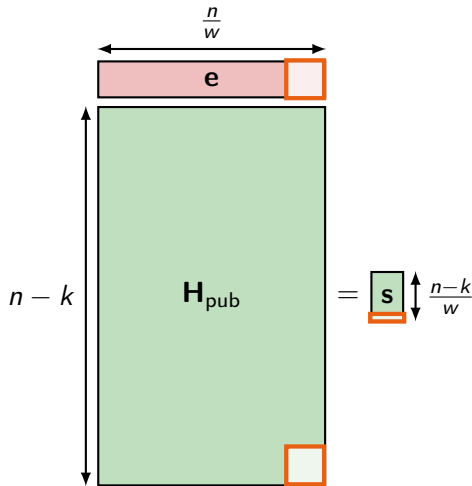
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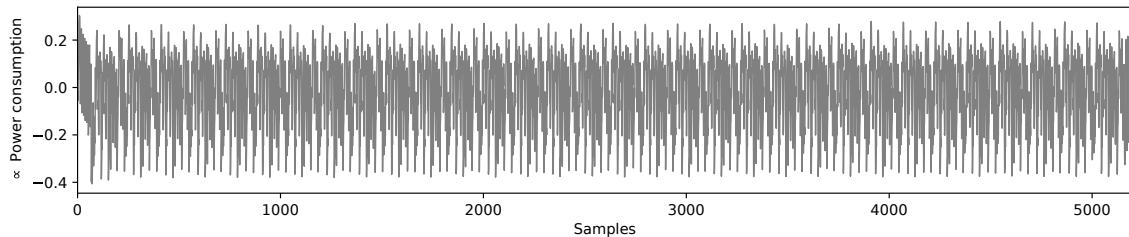
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        b ^= H[row][col] & e[col];  
    b ^= b >> 4;  
    b ^= b >> 2;  
    b ^= b >> 1;  
    b &= 1;  
    s[row / 8] |= (b << (row % 8));  
}
```



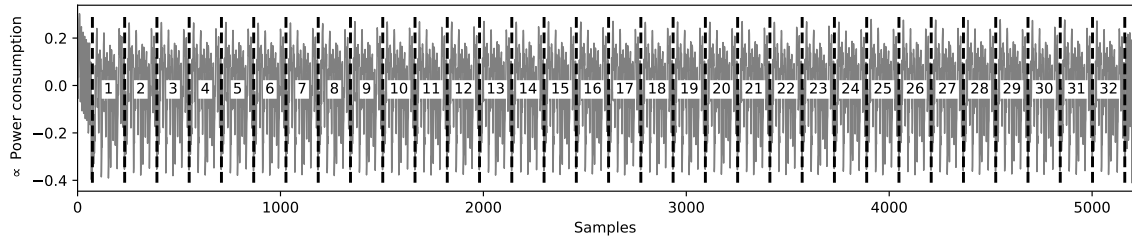
# Horizontal side-channel attack

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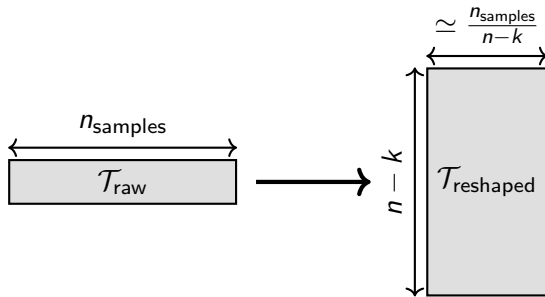
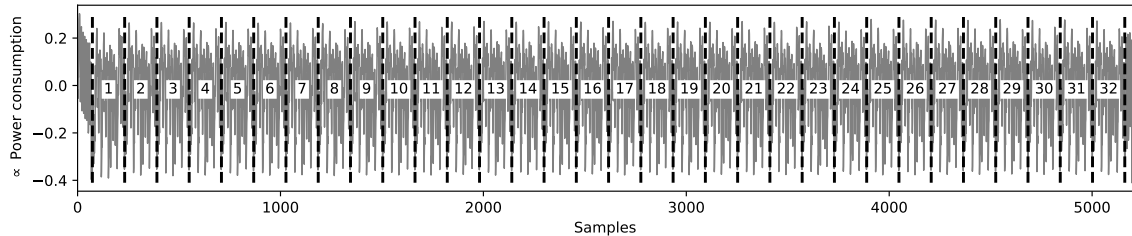
## Example side-channel trace for $n - k = 32$



# Example side-channel trace for $n - k = 32$



# Example side-channel trace for $n - k = 32$

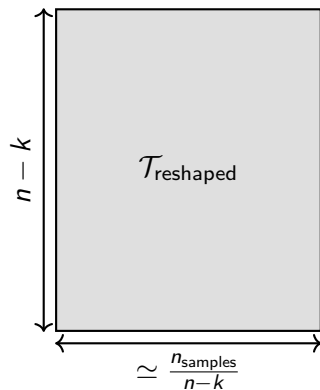
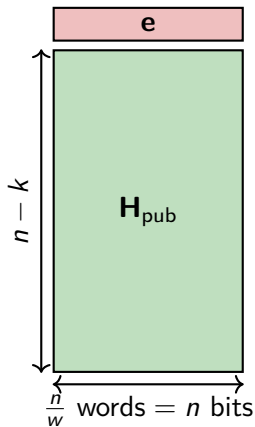




# From error positions to Hamming distance leakage

| $\mathbf{e}[i]$ | $\mathbf{H}_{\text{pub}}[i, j]$ | $\mathbf{e} \wedge \mathbf{H}_{\text{pub}}$ |
|-----------------|---------------------------------|---------------------------------------------|
| 0               | 0                               | 0                                           |
| 0               | 1                               | 0                                           |
| 1               | 0                               | 0                                           |
| 1               | 1                               | 1                                           |

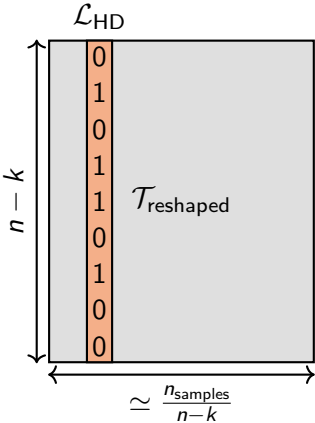
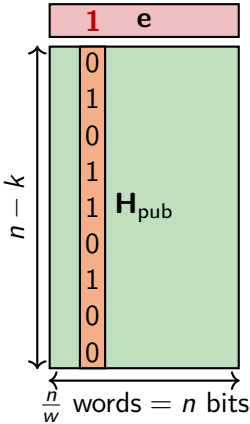
| $\mathbf{b}[i]$ | $\mathbf{e} \wedge \mathbf{H}_{\text{pub}}$ | $\oplus$ | $\mathcal{L}_{\text{HD}}$ |
|-----------------|---------------------------------------------|----------|---------------------------|
| 0               | 0                                           | 0        | 0                         |
| 0               | 1                                           | 1        | 1                         |
| 1               | 0                                           | 1        | 0                         |
| 1               | 1                                           | 0        | 1                         |



# From error positions to Hamming distance leakage

| $e[i]$ | $H_{pub}[i, j]$ | $e \wedge H_{pub}$ |
|--------|-----------------|--------------------|
| 0      | 0               | 0                  |
| 0      | 1               | 0                  |
| 1      | 0               | 0                  |
| 1      | 1               | 1                  |

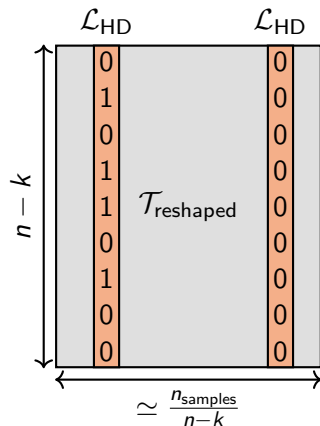
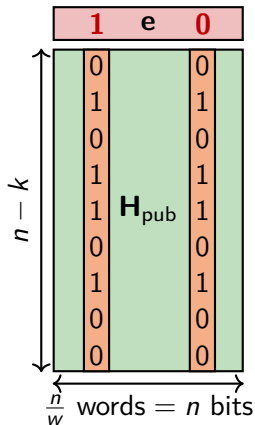
| $b[i]$ | $e \wedge H_{pub}$ | $\oplus$ | $\mathcal{L}_{HD}$ |
|--------|--------------------|----------|--------------------|
| 0      | 0                  | 0        | 0                  |
| 0      | 1                  | 1        | 1                  |
| 1      | 0                  | 1        | 0                  |
| 1      | 1                  | 0        | 1                  |



## From error positions to Hamming distance leakage

| $e[i]$ | $H_{pub}[i, j]$ | $e \wedge H_{pub}$ |
|--------|-----------------|--------------------|
| 0      | 0               | 0                  |
| 0      | 1               | 0                  |
| 1      | 0               | 0                  |
| 1      | 1               | 1                  |

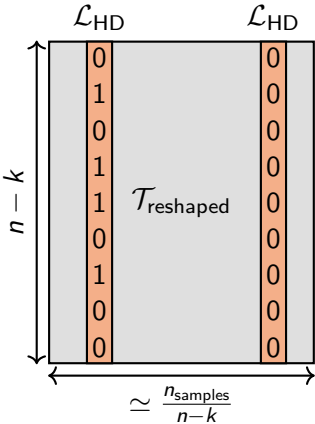
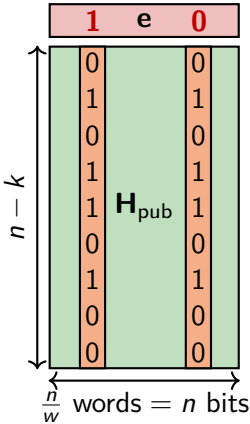
| $b[i]$ | $e \wedge H_{\text{pub}}$ | $\oplus$ | $\mathcal{L}_{\text{HD}}$ |
|--------|---------------------------|----------|---------------------------|
| 0      | 0                         | 0        | 0                         |
| 0      | 1                         | 1        | 1                         |
| 1      | 0                         | 1        | 0                         |
| 1      | 1                         | 0        | 1                         |



# From error positions to Hamming distance leakage

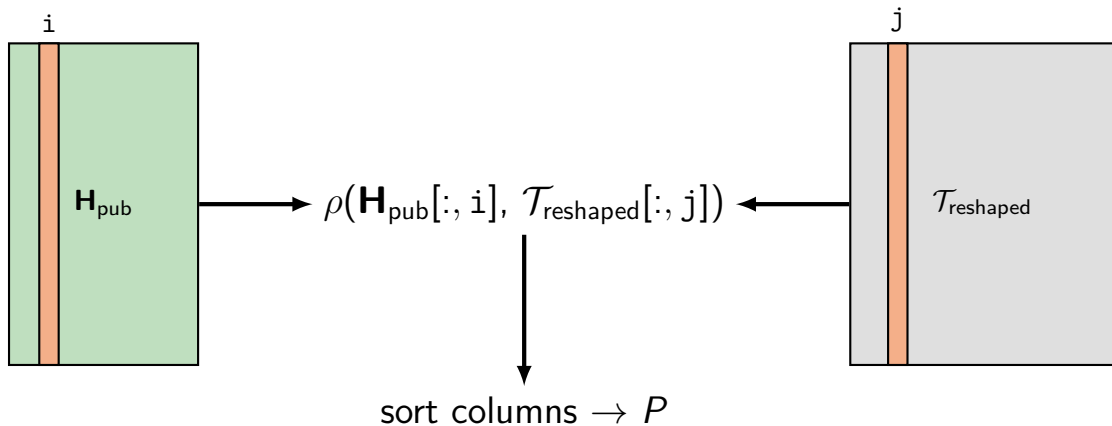
| $\mathbf{e}[i]$ | $\mathbf{H}_{\text{pub}}[i, j]$ | $\mathbf{e} \wedge \mathbf{H}_{\text{pub}}$ |
|-----------------|---------------------------------|---------------------------------------------|
| 0               | 0                               | 0                                           |
| 0               | 1                               | 0                                           |
| 1               | 0                               | 0                                           |
| 1               | 1                               | 1                                           |

| $\mathbf{b}[i]$ | $\mathbf{e} \wedge \mathbf{H}_{\text{pub}}$ | $\oplus$ | $\mathcal{L}_{\text{HD}}$ |
|-----------------|---------------------------------------------|----------|---------------------------|
| 0               | 0                                           | 0        | 0                         |
| 0               | 1                                           | 1        | 1                         |
| 1               | 0                                           | 1        | 0                         |
| 1               | 1                                           | 0        | 1                         |



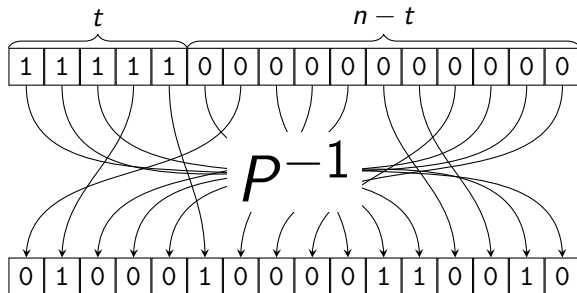
## Key observation

In  $\mathcal{T}_{\text{reshaped}}$ ,  $t$  columns of HD leakage must match columns of  $\mathbf{H}_{\text{pub}}$  that face a 1 in  $\mathbf{e}$ .



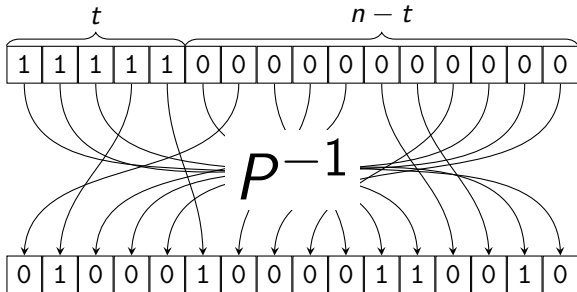
# Exploiting the permutation $P$

(Extremely) lucky case

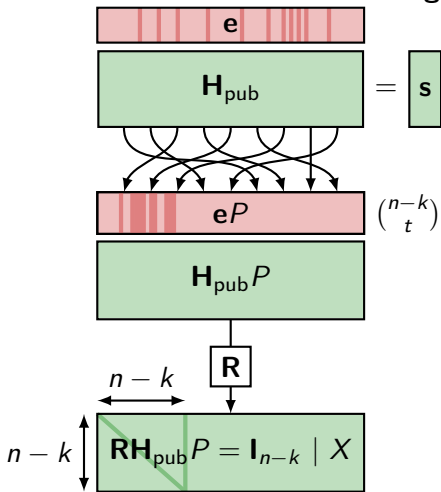


# Exploiting the permutation $P$

(Extremely) lucky case



More realistic: ISD-based strategies



→  $\text{HW}(Rs) = t$  ✓

# Experimental results

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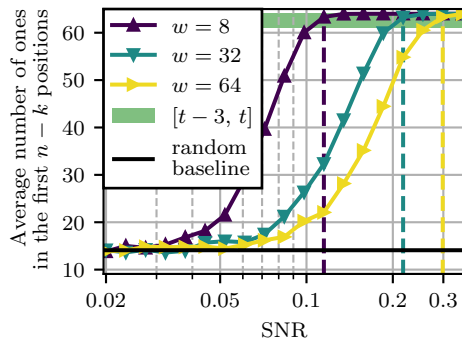


# Simulated traces

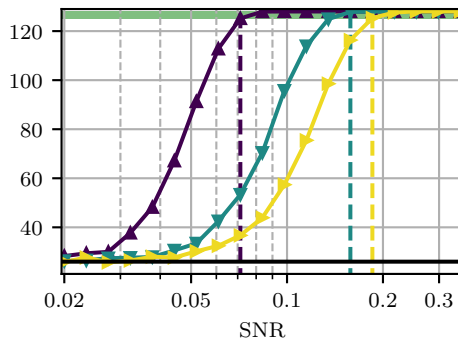
**Simulated** leakage after every bitwise operation by concatenating:

- the Hamming weight of the current  $b$  value and
- the Hamming distance to the previous  $b$  value.

$n = 3488$



$n = 8192$



## Conclusion

Best success rate with **smaller words** and **larger cryptographic parameters**

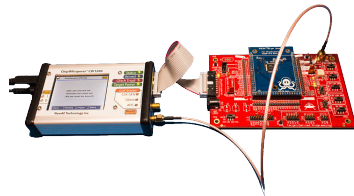
**Reference implementation** running on the ChipWhisperer<sup>[14]</sup> platform.

## Target device:

- ARM Cortex-M4 core with **32-bit registers**:  $w = 32$
- 256 kB of Flash memory (only...)

Cryptographic parameters  $(n, k, t)$  are scaled accordingly<sup>[15]</sup>

- (640, 512, 13)
- (1600, 1280, 30)
- Compilation optimization level: -O0, -O1, -O2, -O3 and -Os
  - $n = 640$  #cycles<sub>clk</sub> ranging from 3120 to 153
  - $n = 1600$  #cycles<sub>clk</sub> ranging from 7080 to 419

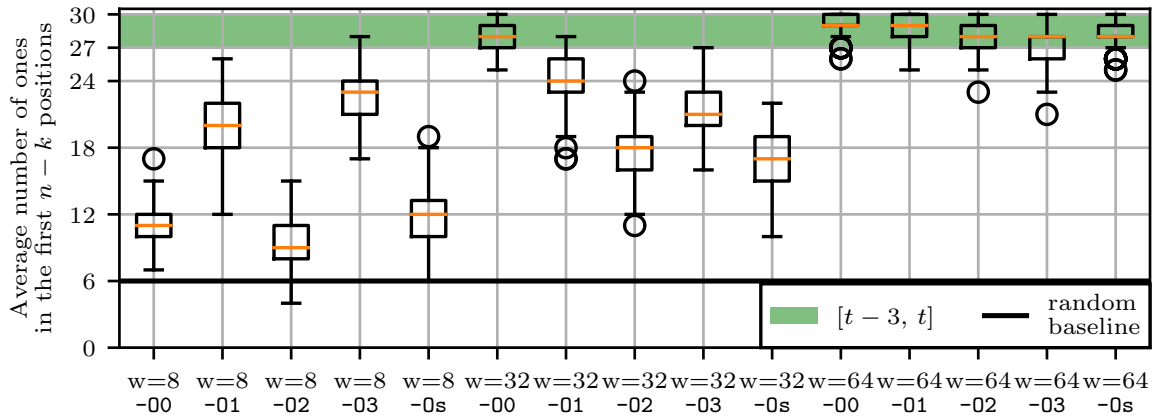


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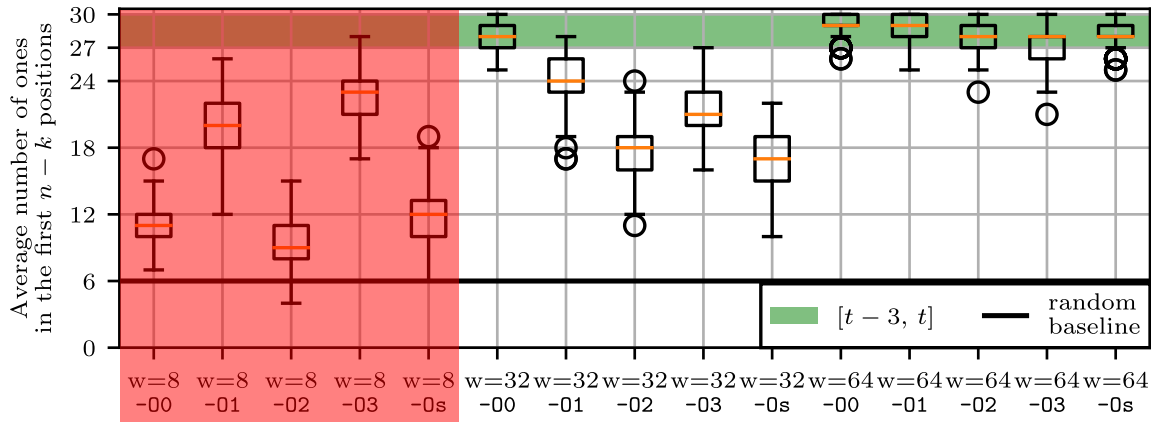
[14] Colin O'Flynn et al. "ChipWhisperer: An Open-Source Platform for Hardware Embedded Security Research". In: **COSADE**. Apr. 2014.

[15] <https://decodingchallenge.org/goppa>

Experimental results  $n = 1600$  and  $HW(e) = t = 30$



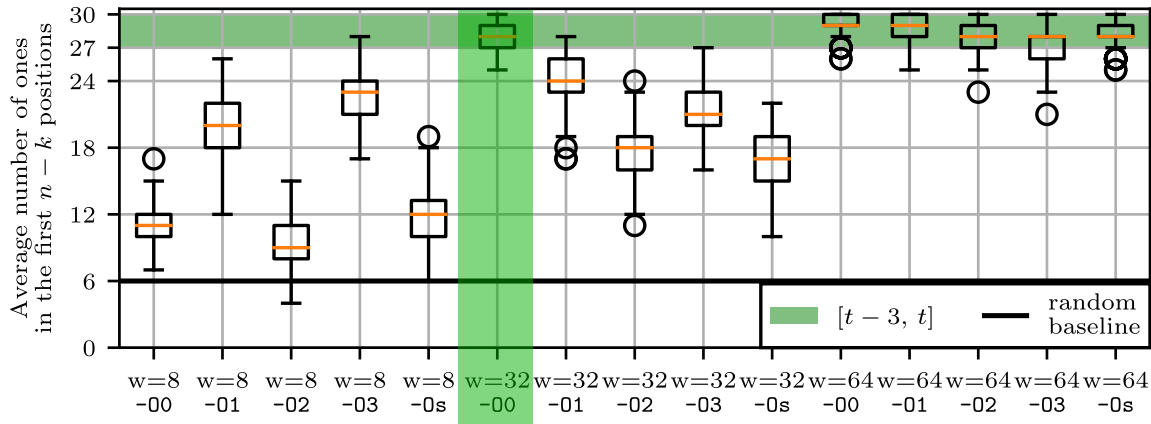
# Experimental results $n = 1600$ and $HW(e) = t = 30$



Attack does not work for  $w = 8$

- Lots of sub-word-size memory accesses,
- Strong Hamming weight leakage, not much Hamming distance.

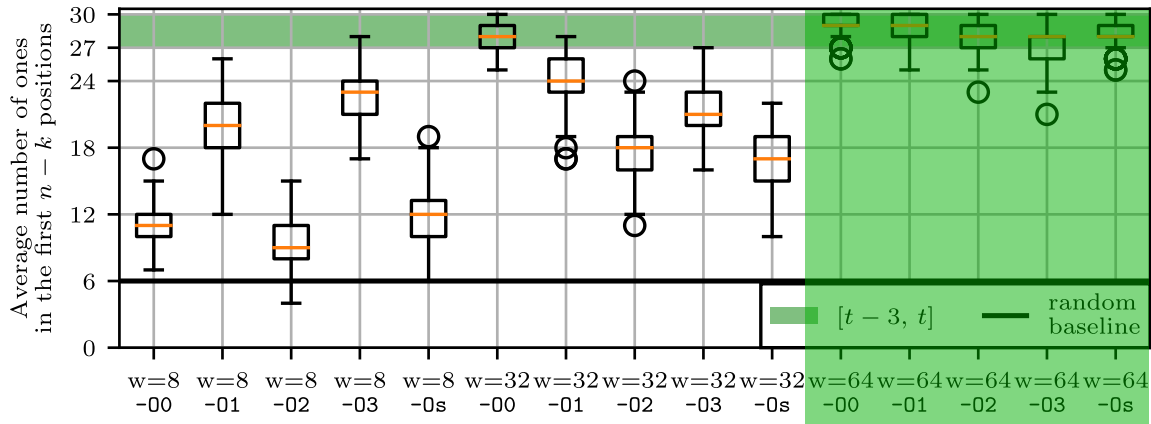
# Experimental results $n = 1600$ and $HW(e) = t = 30$



Attack works for  $w = 32$  and  $-00$

- Strong Hamming distance leakage,
- load  $\rightarrow$  eors  $\rightarrow$  store sequence.

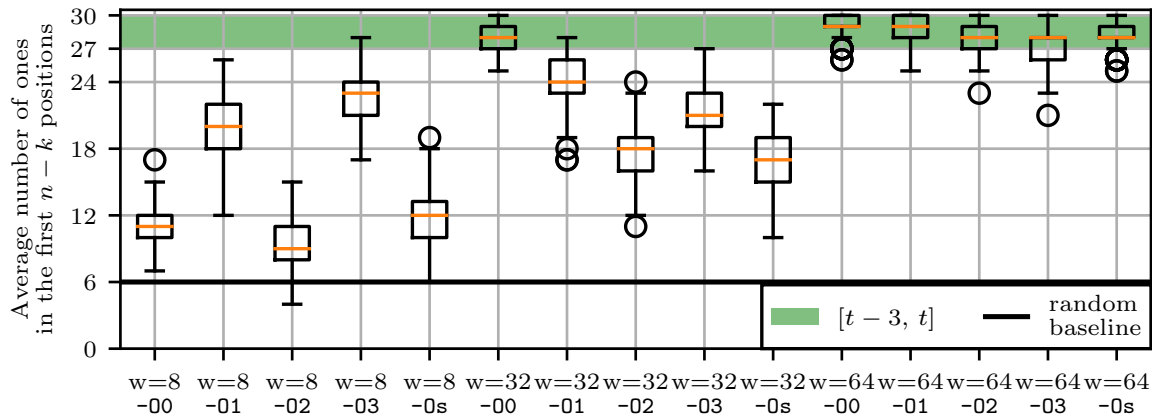
Experimental results  $n = 1600$  and  $HW(e) = t = 30$



Attack works for  $w = 64$

- ???

# Experimental results $n = 1600$ and $HW(e) = t = 30$



## Conclusion

Experiments contradict simulations: **larger** words are **easier** to attack.

# Conclusion

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## Conclusion:

- ✓ First **non-profiled single-trace** message-recovery attack on *Classic McEliece*,
- ✓ Validated in **practice**,
- ⚙️ **No clear understanding** of the attack success in practice.

## Perspectives:

- ▶▶ Micro-controllers for which  $w = 8$  and  $w = 64$  is the **native word width**,
- ▶▶ **Hardware** implementations (while keeping the single-trace scenario),
- ▶▶ **Assembly**-level countermeasures to prevent Hamming distance leakage.

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— Questions ? —